Gravitational Waves as a Probe of Super-Heavy Dark matter

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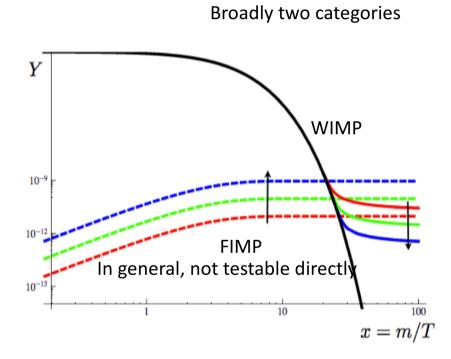


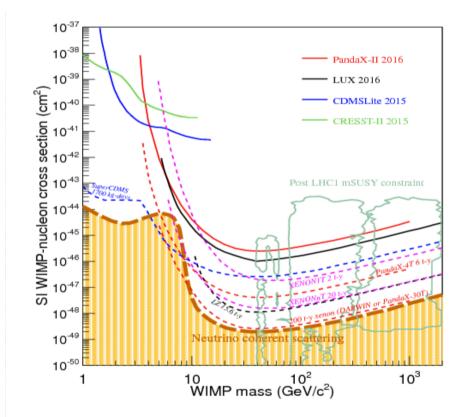
EUROPEAN UNION European Structural and Investment Funds Operational Programme Research, Development and Education

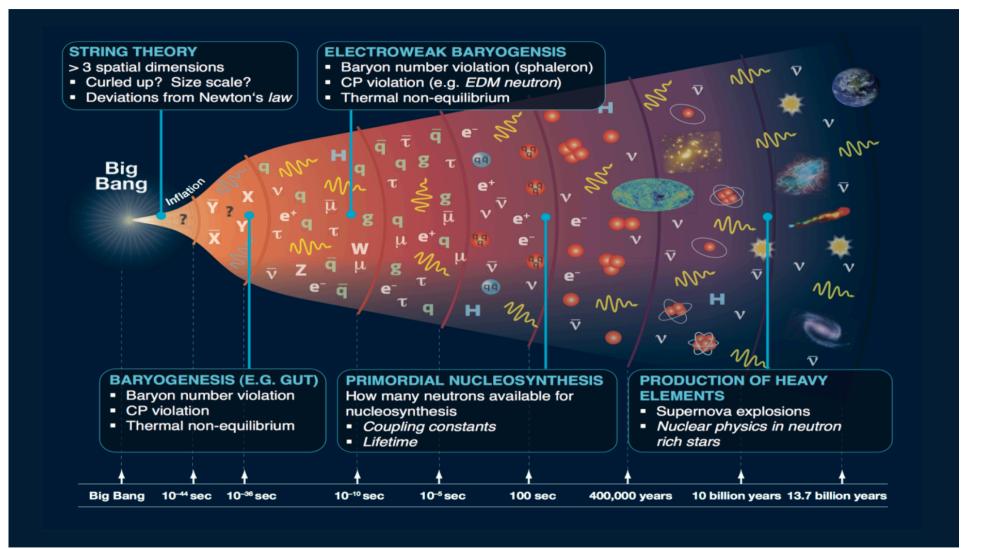


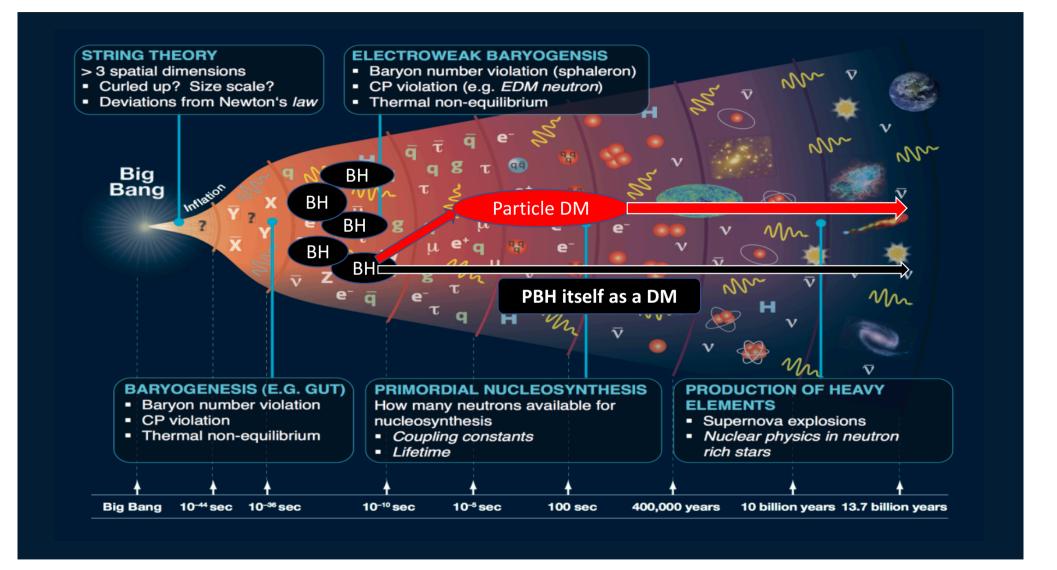
Collab: Federico Urban, CEICO based on 2112.04836

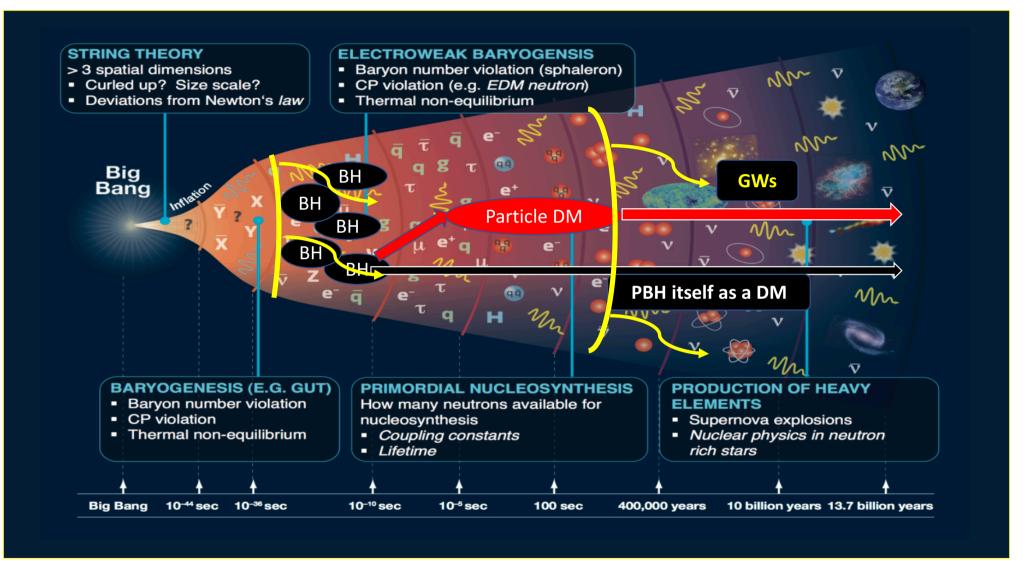
Dark Matter fact-file





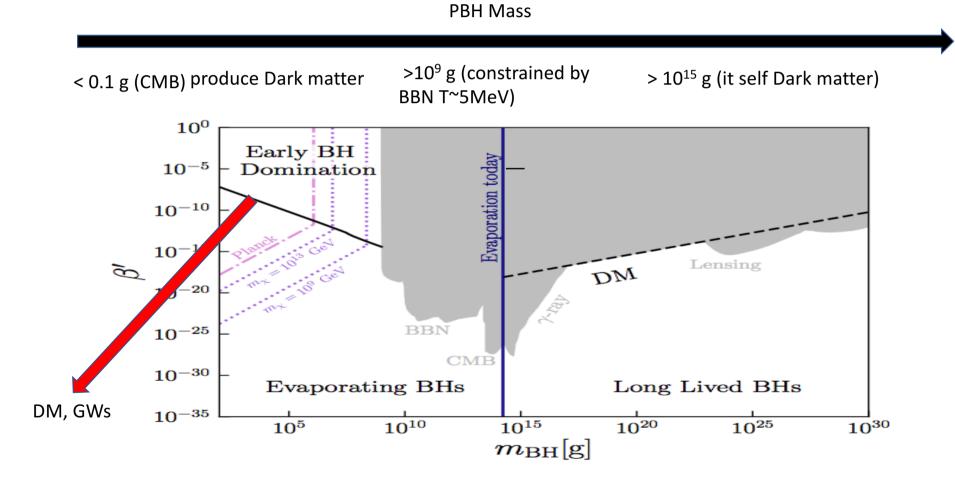




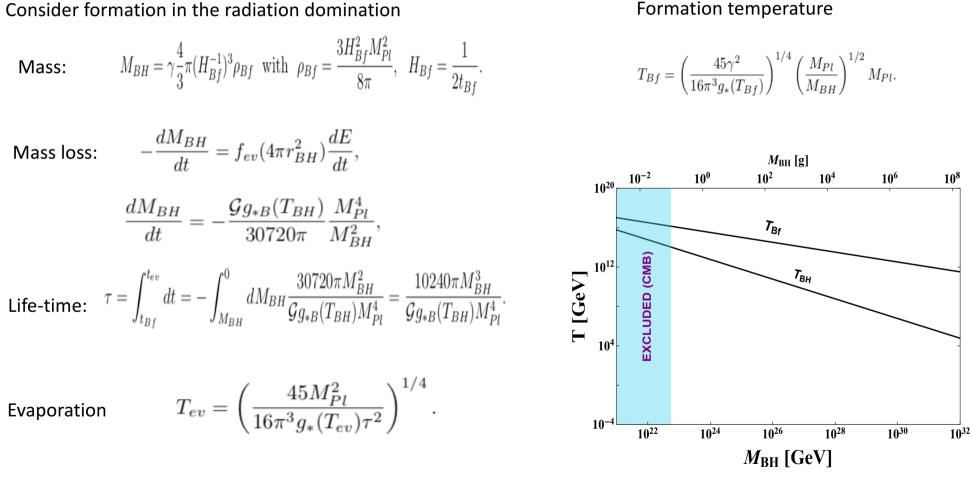


Constraints on black hole masses masses Free parameter

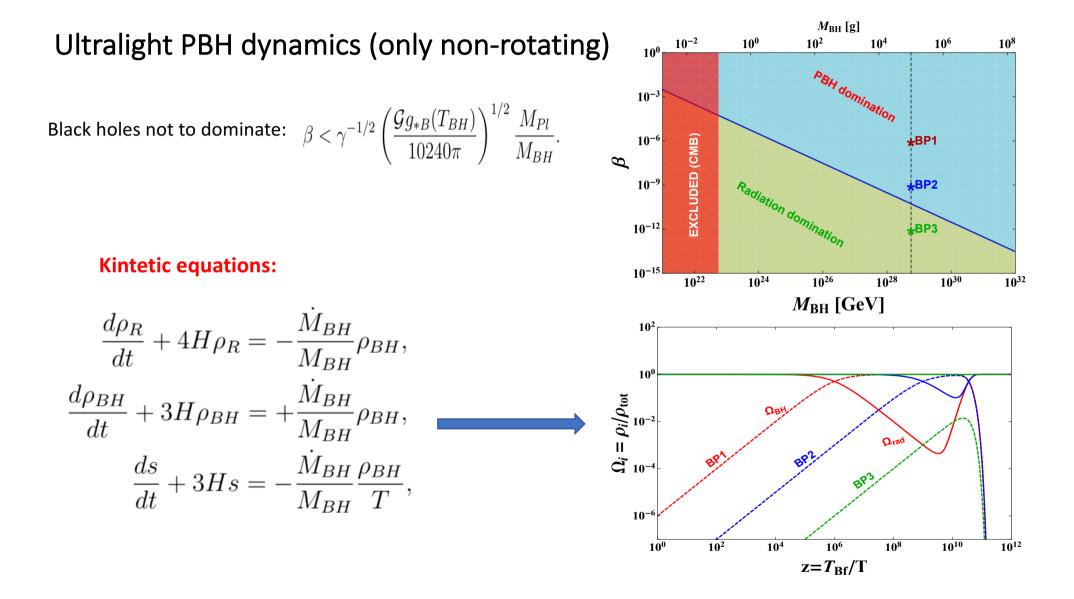
Free parameter: $\beta = \rho_{BH} / \rho_{rad}$



Ultralight PBH dynamics (only non-rotating)



Consider formation in the radiation domination

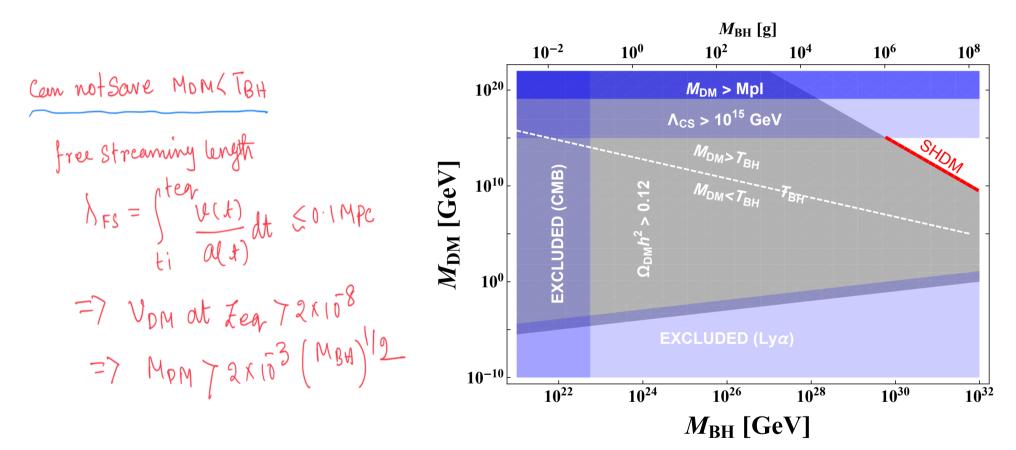


Particle production

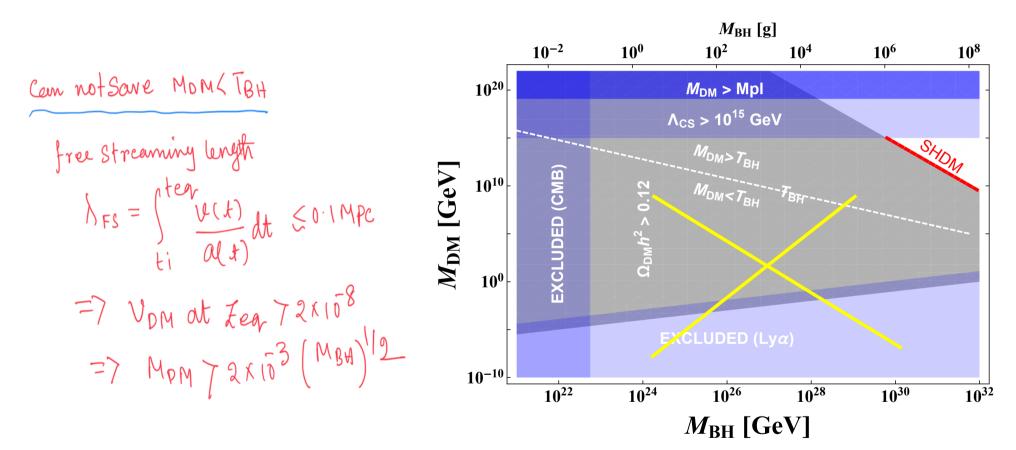
Differential number of particles $dN = dE/3T_{BH} = \frac{M_{Pl}^2}{24\pi} \frac{1}{T_{BH}^3} dT_{BH}, \qquad \text{Where ,} \qquad dE \equiv -d(M_{BH}) = \frac{M_{Pl}^2}{8\pi} \frac{dT_{BH}}{T_{BH}^2}$ Number of `X' particle by a black hole $N_X = \frac{g_X}{g_{*B}} \int_{T_{BH}}^{\infty} dN = \frac{4\pi}{3} \frac{g_X}{g_{*B}} \left(\frac{M_{BH}}{M_{Pl}}\right)^2 \text{ for } T_{BH} > M_X, \qquad \mathsf{T}_{\mathsf{BH}}: \mathsf{Hawking Temp} \sim 1/\mathsf{M}_{\mathsf{BH}}$ $N_X = \frac{g_X}{g_{*B}} \int_{M_X}^{\infty} dN = \frac{1}{48\pi} \frac{g_X}{g_{*B}} \left(\frac{M_{Pl}}{M_X}\right)^2 \text{ for } T_{BH} < M_X.$ Only viable solution for DM Suppression

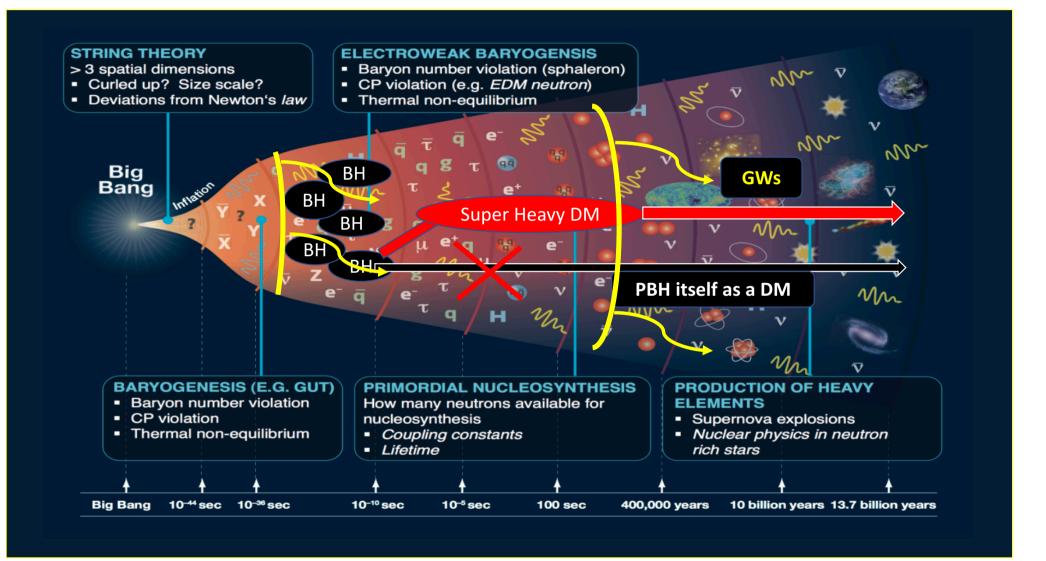
The `X' is DM

Super heavy Dark Matter (SHDM) from PBH



Super heavy Dark Matter (SHDM) from PBH





Dark Matter generation from primordial black holes (PBHs)

Gravitational waves from DM sector

Dynamical origin of DM mass: Source of Gravitational waves

BSM Phase transition:

- 1) GWs from strong 1st order phase transition
- 2) Topological defects: Independent of order of phase transition. Examples: Cosmic strings and domain walls

We shall focus on

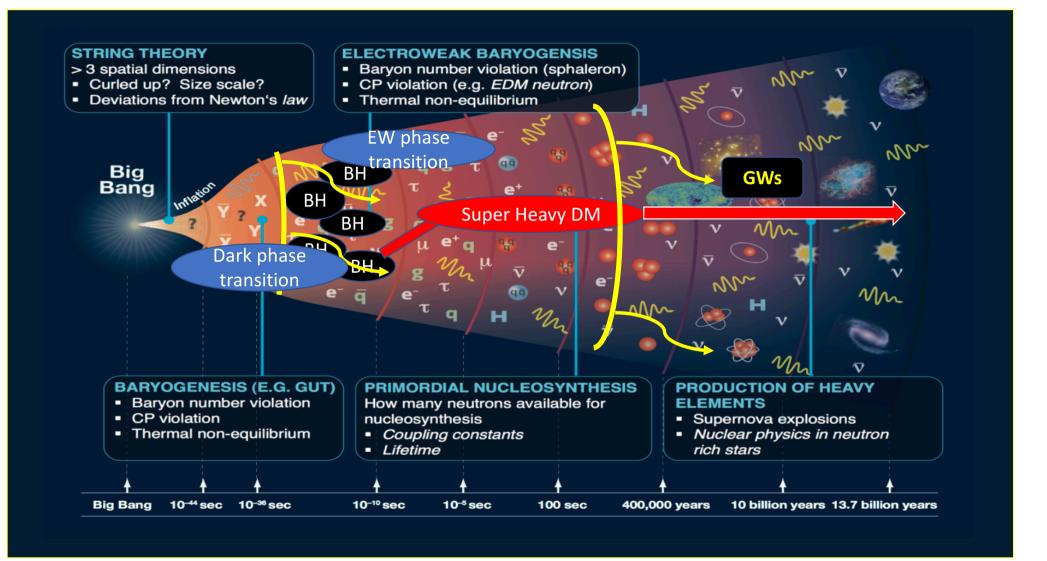
Gravitational waves from PBH sector

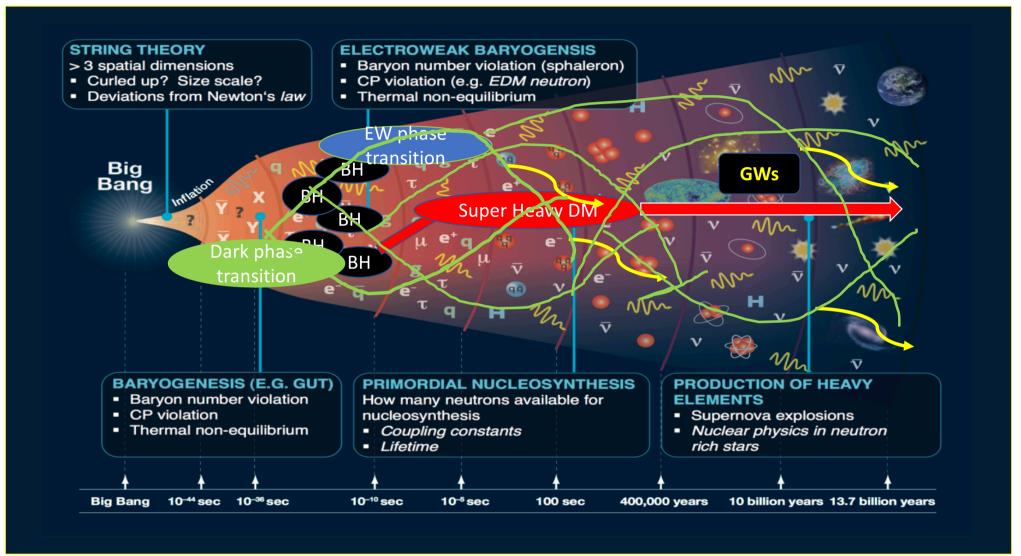
Production of PBHs: May be in the observed range

Distribution of PBHs: May be in the observed range

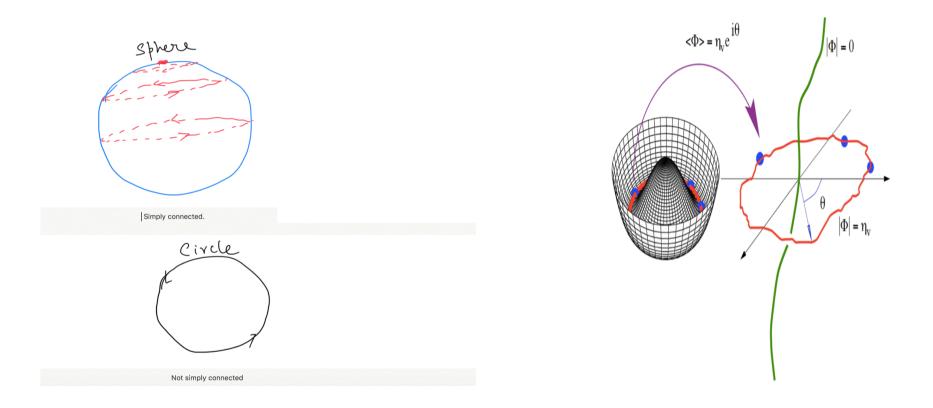
Radiation from PBHs: Very high frequency

Mergers of PBHs: Very high frequency

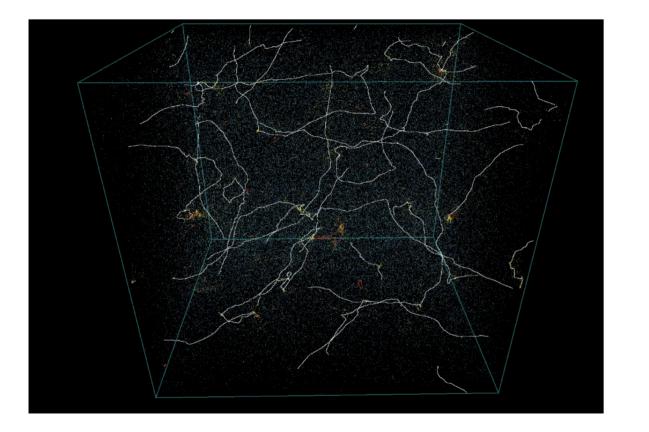


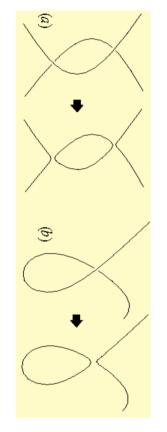


Cosmic strings originate when the vacuum manifold is not simply connected U(1)-strings



String inter-commutation





These loops radiate to GWs

T. Vachaspati et al 1506.04039

String radiation: Particle production or GWs

Width of the strings: 1/V<< Horizon, V=> vacuum expectation value of the U(1) Scalar. Known as Nambu - Goto strings

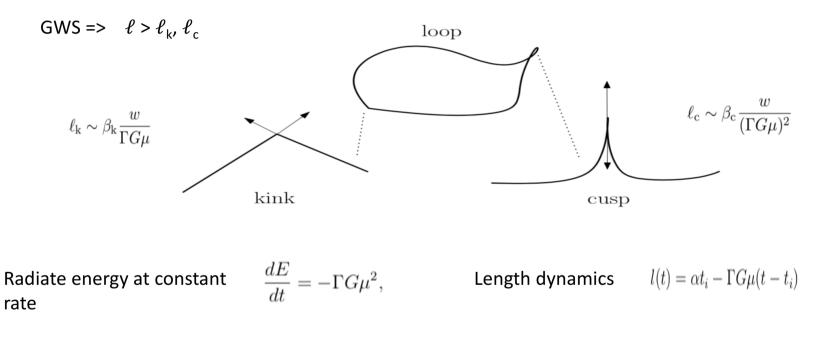
String evolution extremely complicated: Needs numerical simulation for reliable conclusion

B.Pillado et al (Spain) Phys. Rev. D 83, 083514 (2011) GWs Hindmarsh et al (UK) Phys. Rev. D96, 023525 (2017) particle radiation

T. Vachaspati et al (US) Phys.Rev.Lett.122,no.20,201301(2019). Both: GWs and particle radiation !! Cheers



GWs from Cosmic strings



G: Newton constant , μ : string tension (~ Square of symmetry breaking scale), α : loop size (max: 0.1)

The string parameter: Gµ

Gravitational waves power spectrum and loop number density

 $\Omega_{GW}(t_0, f) = \frac{f}{\rho_c} \frac{d\rho_{GW}}{df} = \sum_i \Omega_{GW}^{(k)}(t_0, f).$ Summing over all the modes Amplitude/energy density $\frac{d\rho_{GW}^{(k)}}{df} = \int_{t=0}^{t_0} \left[\frac{a(\tilde{t})}{a(t_0)} \right]^4 P_{GW}(\tilde{t}, f_k) \frac{dF}{df} d\tilde{t},$ Differential energy density Power spectrum $P_{GW}(\tilde{t}, f_k) = \frac{2kG\mu^2 \Gamma_k}{f_k^2} n(\tilde{t}, f_k) = \frac{2kG\mu^2 \Gamma_k}{f^2 \left[\frac{a(t_0)}{a(\tilde{t})}\right]^2} n\left(\tilde{t}, \frac{2k}{f} \left[\frac{a(\tilde{t})}{a(t_0)}\right]\right).$ μ^2/M_{pl} Amplitude/energy density $\Omega_{GW}^{(k)}(t_0, f) = \frac{2kG\mu^2\Gamma_k}{f\rho_c} \int_t^{t_0} \left[\frac{a(\tilde{t})}{a(t_0)}\right]^5 n\left(\tilde{t}, \frac{2k}{f}\left[\frac{a(\tilde{t})}{a(t_0)}\right]\right) d\tilde{t}.$ Loop number density $n(\tilde{t}, l_k(\tilde{t})) = \frac{0.18}{[l_k(\tilde{t}) + \Gamma G_{\mu}\tilde{t}]^{5/2}\tilde{\tau}^{3/2}}.$ Numerical simulation:

Cosmic string scaling

Long strings evolution is a random walk problem in the early universe (velocity-dependent-one-scale model)

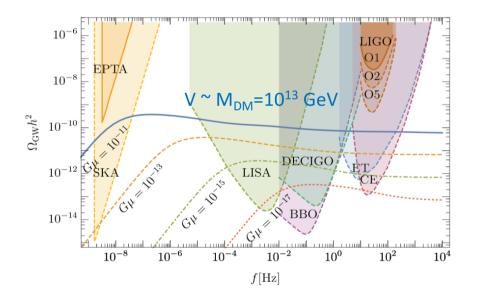
Long-string correlation length L² = μ/ρ_L , L \approx t => $\rho_L \approx \mu$ t⁻²

Friedmann equation: $t^{-2} G^{-1} \approx \rho_{bg}$

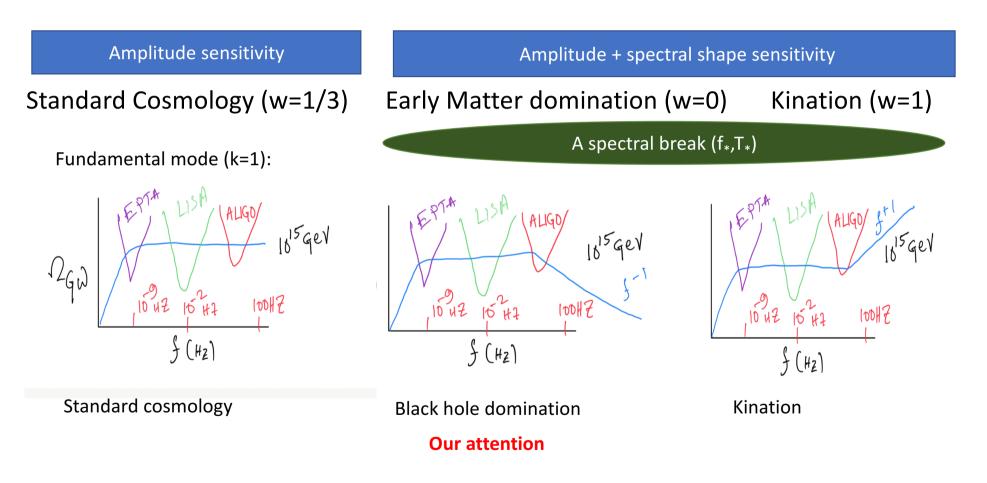
 $\rho_L \approx \rho_{bg} G \mu$

V=10¹⁵=> μ =10³⁰, => G μ ≈ 10⁻⁸

CS never dominates the energy density of the universe

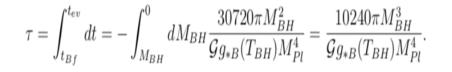


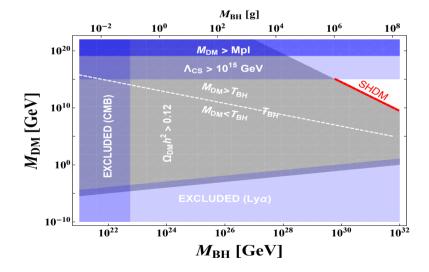
Cosmic archeology, GW spectral shapes



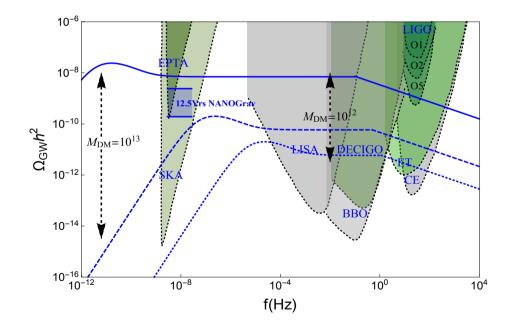
The turning point frequency

$$T_{ev} = \left(\frac{45M_{Pl}^2}{16\pi^3 g_*(T_{ev})\tau^2}\right)^{1/4}.$$





$$f_* \simeq 2.1 \times 10^{-8} \sqrt{\frac{50}{z_{\rm eq} \alpha \Gamma G \mu}} \left(\frac{M_{DM}}{T_0}\right)^{3/5} T_0^{-2/5} t_0^{-1},$$



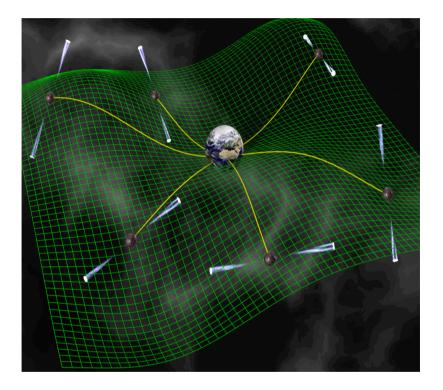
Why strong amplitude GWs are of interest? PTAs and LIGO

Millisecond pulsars (spins ~100 times a second) produce most stable pulses and are used by the PTAs

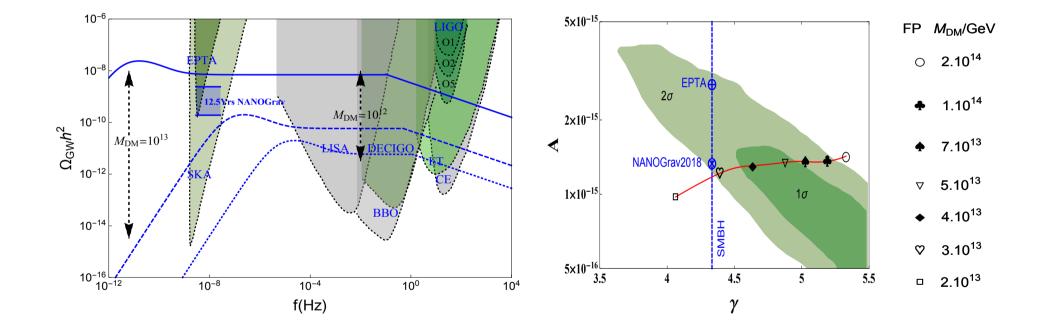
When a gravitational wave (a disturbance) passes between the earth and pulsar system, the time of arrival of the signal from the pulsars changes. This induces a change in frequency due to the gravitational wave.

Time residual:
$$R(t) = -\int_0^t \frac{\delta v}{v} dt$$

Pulsar-Timing-Arrays typically work with high amplitude GWs => Could be a Detector of High Scale Symmetry breaking theories



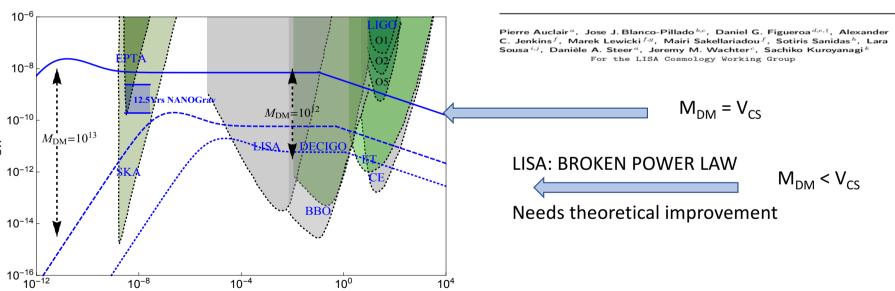
NANOGrav-fit
$$\Omega_{GW}(f) = \frac{2\pi^2}{3H_0^2} f^2 h_c(f)^2 = \Omega_{yr} \left(\frac{f}{f_{yr}}\right)^{5-\gamma}, \quad \text{with} \quad \Omega_{yr} = \frac{2\pi^2}{3H_0^2} A^2 f_{yr}^2.$$



Potential of LISA to test Super heavy DM model



PREPARED FOR SUBMISSION TO JHEP



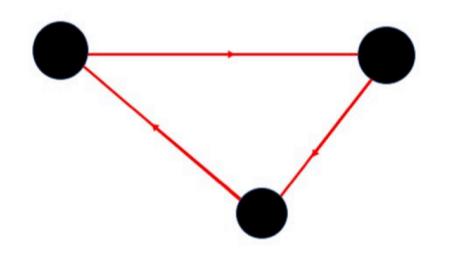
f(Hz)

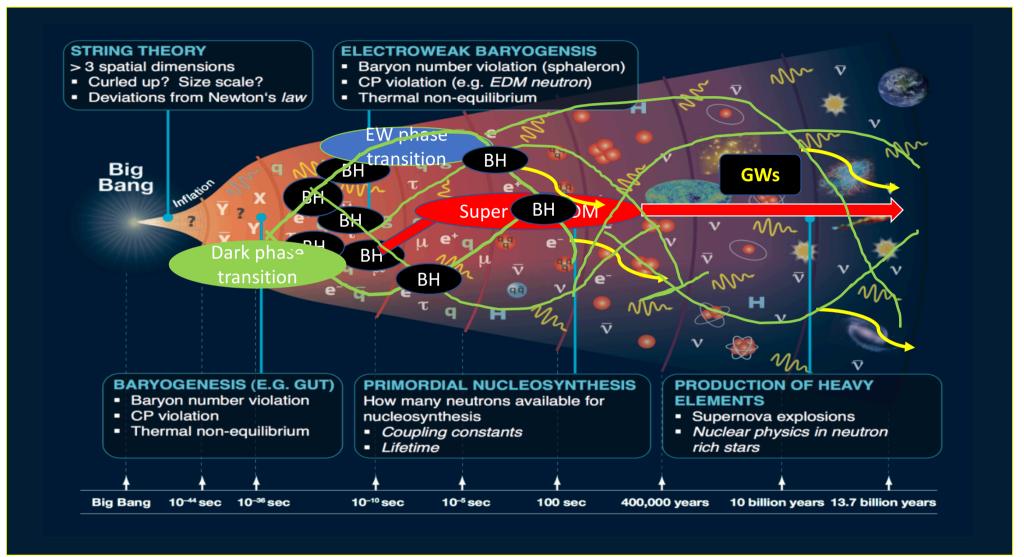
 $\Omega_{GW} h^2$

Probing the gravitational wave background from cosmic strings with LISA

Future improvement

We did not consider black hole-string network that could provide spectral distortion. (Samanta et al)





Summary

Primordial black holes could be promising source of Dark matter

Particularly, super heavy Dark matter scenarios could be probed with GWs in this new cosmic frontier.

One can look for the amplitude as well as spectral shapes of the GWs as a probe.

Detectors like PTAs and LISA, DECIGO are suitable for very heavy Dark matter.